

# An approach using extreme value statistics to detect rare movement events in a bio-medical dataset

S. Luca<sup>1,2</sup>, P. Karsmakers<sup>1,2</sup>, K. Cuppens<sup>1,2</sup>, T. Croonenborghs<sup>1,6</sup>, A. Van de Vel<sup>3</sup>,  
B. Ceulemans<sup>3,4</sup>, L. Lagae<sup>4,5</sup>, S. Van Huffel<sup>2</sup>, B. Vanrumste<sup>1,2</sup>



**Goal: Detecting hypermotor seizures during nocturnal monitoring of epileptic children based on data collected from accelerometers attached to the extremities**

## 1 Seizure detection

- *Typical:*
  - Supervised model inference e.g. Support Vector Machines
  - Indication whether movements are seizures or not is necessary
    - ➔ Data annotation is necessary
    - ➔ Time consuming and expensive since data is patient specific
- *Our approach:*
  - No annotation is required. Completely unsupervised!
  - Patient dependent model is easily estimated

Dataset overview

Patient nr.	#Nights	#seizures	#normal movements
1	1	2	117
2	2	9	287
3	2	2	439
4	1	2	239
5	5	26	784
6	2	7	381
7	2	3	468

## 2 Feature extraction & selection

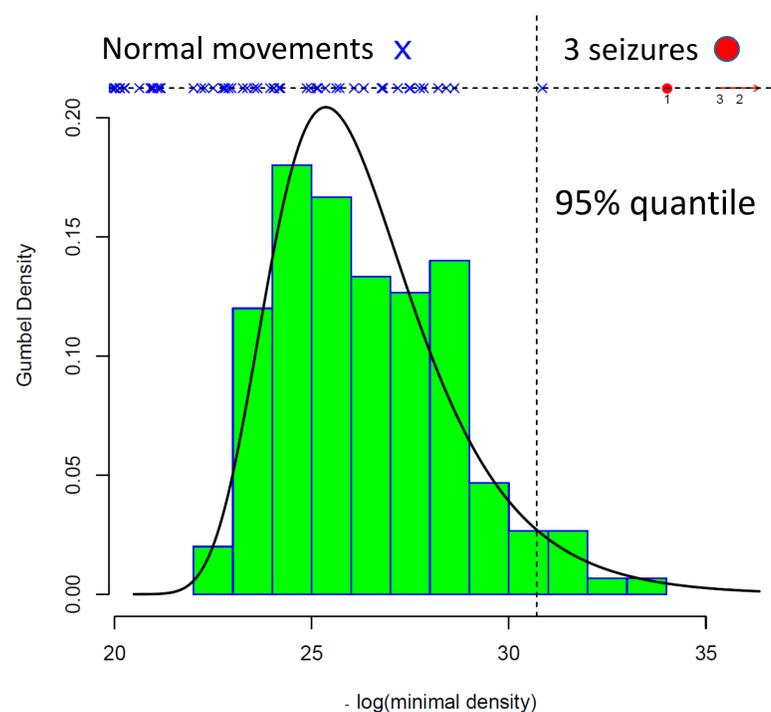
- **Sensors:** four 3-axial accelero meters (ACM)
- **Preprocessing:**
  - Select movement events using energy threshold  $\{E_s\}_{s=1}^{|E_s|}$
  - Remove ACM orientation using  $L_2$ -norm, retain:
 
$$E_s = \{x_i\}_i^N, \quad x_i = \left[ x_i^{(Larm)} \ x_i^{(Rarm)} \ x_i^{(Lleg)} \ x_i^{(Rleg)} \right]^T, \quad x_i \in \mathbb{R}^4$$
  - $P$  standard features [Jallon et al., 2010] on 50% overlapping sliding window of size  $L$  per  $E_s$ :
 
$$\{F_i\}_{i=1}^M, F_i \in \mathbb{R}^P, F_i = \varphi(\{x_i\}_i^L)$$
  - Standard feature selection suggested 3 features:
    1. Movement length:  $|E_s|$
    2. Avg. energy limb movement:  $\frac{1}{L} \sum_{i=1}^L \|x_i\|_2^2$
    3. Avg. energy movement:  $\frac{1}{L} \sum_{i=1}^L \max(|x_i^{(Rarm)}|, |x_i^{(Lleg)}|)$

**Subsampling:** randomly select  $K$  samples from each  $E_s$

## 3 Gumbel model for rare events

- 3D – model of normal behaviour using kernel density estimation  $\rightarrow p = p(F), F \in \mathbb{R}^3$
- Gumbel model of minimal densities:

$$p_m = \min\{p(F_i) \mid 1 \leq i \leq K\}$$



## 4 Results:

10-fold randomizations

Patient nr.	ss (%)		ppv (%)		spec (%)	
	mean	sd	mean	sd	mean	sd
1	100.00	0.00	49.09	37.39	92.18	7.21
2	100.00	0.00	60.01	20.04	97.29	2.31
3	100.00	0.00	56.33	17.80	97.18	1.43
4	70.00	25.81	31.78	25.18	92.96	4.31
5	27.77	12.00	20.77	9.96	96.29	1.08
6	100.00	0.00	56.65	17.29	97.79	1.47
7	100.00	0.00	44.02	9.79	95.77	1.49

## 5 Conclusions:

- Detection of all seizures in 5/7 patients
- An average ppv of 45%
- Patient 4: 1 of 2 seizures is less tractable
- Patient 5: seizures were not 'extreme' with respect to normal behaviour

